

A Proposed Method for Ranking Progressive Die Strips

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Processing the Part Creating the Strip Layout



CREATING THE STRIP LAYOUT

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Adapted from Alan C. Lin and Dean K. Sheu, *Knowledge-Based Sequence Planning of Shearing Operations in Progressive Dies*, International Journal of Production Research, 2010

In order to choose the best strip layout from the several possible strips, each layout must be compared and ranked on a relevant scoring system. Among many factors that influence the cost and quality of a progressive die, four factors are of prime concern:

- Station number factor, *Fn*
- Moment balancing factor, Fb
- Strip stability factor, Fs
- Feed height factor, Fh

An evaluation score (Ev) can then computed based on these four factors and their corresponding weighting factors:

Ev = (wn x Fn) + (wb x Fb) + (ws x Fs) + (wh x Fh)

All four evaluation factors are formulated to range from a total of 10 to 100. A higher score indicates better efficiency in cost and production.

NOTE: The four weighting factors, wn, wb, ws, wh, are chosen by the designer or process engineer who determines how much importance each factor contributes to the strip evaluation.

Station number factor, *Fn*, determines how good a strip layout is in terms of the number of stations that it has. The factor has values ranging from 10 to 100.

An Fn value of 100 (best possible) is for a minimum number of stations, or two stations total. In contrast that value becomes 10 for the maximum number of stations, usually the total number of punches for cutting and bending in the proposed strip.



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The station number factor can be formulated by means of the following equation:

$$F_n = 100 - 90 \times \frac{N - N_{min}}{N_{max} - N_{min}} \quad \frac{7 - 2 = 5}{11 - 2 = 9}$$

 $F_n = 100 - (90 \times 5/9) = 50$

N = total number of stations in the strip layout Nmax = total number of punches (cutting and bending) Nmin = the possible minimum number of stations, Nmin = 2

7

When two or more die stations are performing their task on the die strip, the forces are simultaneously acting on the strip at different points.

If the reaction forces are unbalanced relative to the press center line, ram tipping occurs. Since the center of the die is usually placed under the center of the ram, tipping moment severity must be considered in strip layouts.

Thus, a moment balancing factor, Fb, is required



9



Tipping Moments as Currently Processed

Station No	Tonnage	Inches from Center	Moment
1	3	10.5	31.5
2	30	7.5	225
3	10	4.5	45
4	10	1.5	15
5	12	-1.5	-18
6	6	-4.5	-27
7	6	-7.5	-45
8	10	-10.5	-105
		TOTAL MOMENT	121.5

A positive results indicates center-of-load is left of slide center Shift load to RIGHT to re-center the load



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Stamping presses have maximum tipping moments established by the press machine builder. This rating can used to establish a maximum off-center loading parameter: D_{max}

The moment balancing factor can then be calculated by:

$$F_b = 100 - 90 \times \frac{d}{D_{max}}$$
 122
200

 $F_{b} = 100 - (90 \times 122/200) = 45.1$

When d = 0, the center of the ram and the center of the stamping loads are completely matched, so the factor Fb = 100 (best condition). When d \geq Dmax, the deviation is so serious that it makes Fb = 10 (worst condition).

12



13

Shift Load 1.5" to Right

Station No	Tonnage	Inches from Center	Moment
1	3	9.0	27
2	30	6.0	180
3	10	3.0	30
4	10	0.0	0
5	12	-3.0	-36
6	6	-6.0	-36
7	6	-9.0	-54
8	10	-12.0	-120
		TOTAL MOMENT	-9



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Stamping presses have maximum tipping moments established by the press machine builder. This rating can used to establish a maximum off-center loading parameter: D_{max}

The moment balancing factor can then be calculated by:

$$F_{b} = 100 - 90 \times \frac{d}{D_{max}} \qquad \frac{9}{200}$$
$$F_{b} = 100 - (90 \times 9/200) = 95.95$$

When d = 0, the center of the ram and the center of the stamping loads are completely matched, so the factor Fb = 100 (best condition). When d \geq Dmax, the deviation is so serious that it makes Fb = 10 (worst condition).



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The strip stability factor (*Fs*) determines how reliably the strip feeds in terms of the connecting material that is left to carry the parts as the strip progresses through the die.

$$F_{s} = 70 \times \{\sum_{k=1}^{N-1} k \times (L_{k} / L_{Lk})\} / \sum_{k=1}^{N-1} k$$



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For ranking purposes, we identify three connection length reductions: optimal, negative, and positive length reductions

Optimal length Lopt reduction would provide a stability ranking of 100. This condition seldom exists, but in terms of strip stability it is the best way to process a progressive-die strip. This occurs when the connecting length is reduced linearly with the number of die stations. A 10-station die, for example, would remove 10% of connecting material at each station until a finished part separates from the strip in the final station



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Lneg represents the worst condition, where connecting length is reduced quickly and the blank may become unstable and difficult to feed.

Expect a ranking between 10 and 50 for this type of reduction

L_{pos} is a desirable length reduction. The decreasing trend occurs gently, and part stability of the attached part is optimized. Thus, feeding and blank positioning should have higher accuracy and precision.

A ranking of 50 to 90 would be typical in this case.



The feed height factor (*Fh***)** determines how reliably the strip feeds in terms of the distance that it must lift off the working stations before progressing through the die.



The maximum possible feed height is equal to the height of an imaginary rectangle that encloses the formed part, as shown above, plus the safety factor, S

For the process illustrated below, the feed height factor is calculated by:

 $Fh = 100 - 90 \times (8-2) / (10-2) = 32.5$

The resulting feed height factor is relatively low (100 is best)



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The feed height factor could be improved by altering the two bending sequence. For this revised process:

Fh = 100 - 90 x (5-2) / (10-2) = 66.25



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All four evaluation factors are then formulated to range from a total of 10 to 100. A higher score indicates better efficiency in cost and production.

Ev = (wn x 50) + (wb x 45) + (ws x 53) + (wh x 66)Ev = 214

Weighting factors help prioritize each of the four evaluation factors relative to each another so we can better evaluate multiple designs

NOTE: The four weighting factors, wn, wb, ws, wh, are chosen by the designer or process engineer who determines how much importance each factor contributes to the strip evaluation.

Weighting factors help prioritize each of the four evaluation factors relative to each another:

$$Ev = (0.25 \times 50) + (1 \times 45) + (0.50 \times 53) + (0.50 \times 66)$$

$$Ev = 117$$

Add one station by splitting the gutting station $Ev = (0.25 \times 40) + (7 \times 37) + (0.50 \times 58) + (0.50 \times 66)$ Ev = 109

Add an idle station to better center the die loads, gives: $Ev = (0.25 \times 30) + (1 \times 80) + (0.50 \times 62) + (0.50 \times 66)$ Ev = 152